

“Compatibility and the Product Life Cycle in Two-Sided Markets.” Review of Network Economics Volume 12, Issue 2, 2013

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What is “Two-Sided markets”?

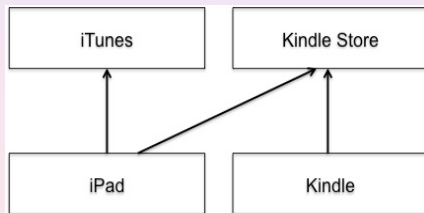
What is the two-sided markets (or platform business)?

Platforms enable interactions between other kind of end-users and try to get the two sides “on board” by appropriately charging each side. [Rochet and Tirole, 2006] (e.g. shopping mall, video game, and e-book reader)

What is “Compatibility”?

E-book reader industry

- ▶ Amazon chooses compatibility.
- ▶ Apple chooses incompatibility.



Why do these rivals choose **opposite strategies** with regard to compatibility?

What we study

- ▶ Duopoly model of **compatibility decisions** in two-sided markets.
- ▶ **The product life cycle** and **market share** affects the compatibility strategy.
- ▶ Two-sided platform has two source of profit; hardware and software.
- ▶ Choosing compatibility
 - ▶ increases the revenue from software.
 - ▶ decreases the revenue from hardware.

Main results

- ▶ The equilibrium depends on the stage of the product life cycle and market share.

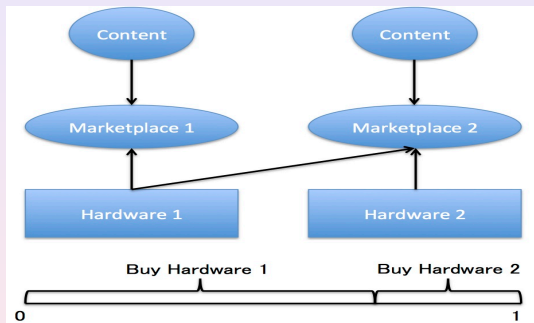
Stage	Equilibrium	Major profit center
Introductory	(IC,IC)	Hardware device.
Growth	(IC,C)	Large platform; Hardware.
	(C,IC)	Small platform; Royalties.
Mature	(C,C)	Royalties from content.

Related Literature

Previous literature about compatibility in two-sided market.

1. Doganoglu and Wright [2006]
2. Casadesus-Masanell and Ruiz-Aliseda [2008]
3. Miao [2009]
4. Viecens [2011]
 - ▶ These previous papers focus on competition **given the structure of compatibility**.
 - ▶ The contribution of our work lies in showing **the equilibrium structure of compatibility**.
 - ▶ This paper is the first one which shows the interesting point that the equilibrium structure of compatibility changes over the **product life cycle**.

Platforms and Content Providers



- ▶ Two content providers, $i = 1, 2$.
 - ▶ ρ_{ij} : price of content i sold to consumers who own hardware j .

Platforms and Content Providers

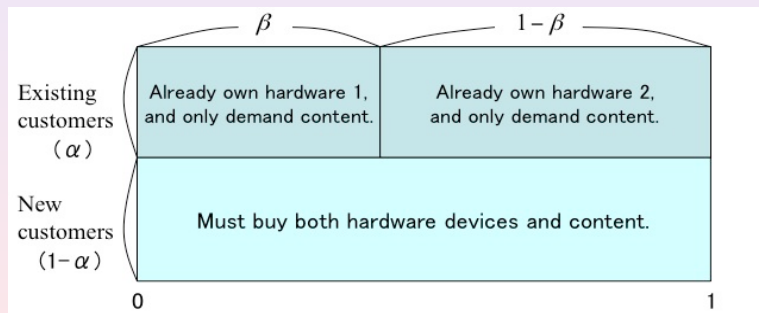
- ▶ Two platforms, $i = 1, 2$.
 - ▶ p_i : Hardware price (marginal cost equals to 0).
 - ▶ r : Royalty rate (exogenous).
 - ▶ C or IC: Compatibility decision. (δ_i takes on 1 if platform i chooses compatibility.)
- ▶ The profit function of platform i is given by

$$\pi_i = p_i D_i + r \rho_{ii} D_i + \delta_i r \rho_{ij} D_j \quad (i, j = 1, 2, i \neq j),$$

where D_i denotes the demand for the hardware device.

Consumers

- ▶ Population of consumers.



Consumers

- ▶ Consumers' decision
 - ▶ Hotelling model of product differentiation.
 - ▶ The hardware devices are differentiated along the unit interval $[0, 1]$.
 - ▶ Ideal points of consumers are distributed uniformly with a unit density.
 - ▶ t : Constant proportional disutility.
 - ▶ v : The benefit derived from consumption of the hardware device.
 - ▶ $w(N)$: Benefit from N varieties of content.
 - ▶ where $w(1) < w(2)$ and $w(2) - w(1) < w(1)$.

Consumers

- ▶ The utility function of a new customer who is located at x , buys a hardware device i , and uses its available contents is written as

$$u_i = w(N_i) - \rho_{ii} - \delta_j \rho_{ji} + v - p_i - t|x - x_i|.$$

- ▶ N_i is the amount of available content for hardware device i
- ▶ x_i is the location of hardware i .

Timing of Game

1. The two platforms choose between compatibility and incompatibility; **IC or C**.
2. Platforms set their hardware prices (p_i), and the new consumers purchase one of them.
3. Content providers set their content prices (ρ_{ij}), and the customers purchase.

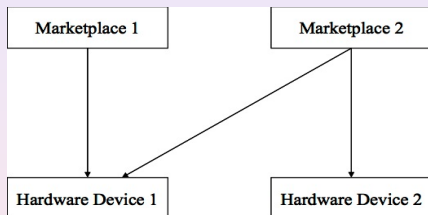
Market structures

Given the compatibility decisions in stage one, there are four possible market structures:

1. Incompatible platforms in which both platforms choose incompatibility; (IC, IC).
2. Compatible platforms in which both platforms choose compatibility; (C, C).
- 3,4. Asymmetric market structures in which one platform chooses incompatibility and the other chooses compatibility; (IC, C) or ; (C, IC).

The stage three

Here, we consider the Case 3: (IC,C)



- ▶ From Church and Gandal [2000], we can derive the content price.
 - ▶ When $N_2 = 1$, content price $\rho_{22} = w(1)$.
 - ▶ When $N_1 = 2$, content prices $\rho_{11} = \rho_{21} = w(2) - w(1) \equiv \Delta w$.

The stage two

The utility functions of new customers are

$$\begin{cases} u_1 = w(2) - \rho_{11} - \rho_{21} + v - p_1 - tx \\ \quad = 2w(1) - w(2) + v - p_1 - tx \\ u_2 = w(1) - \rho_{22} + v - p_2 - t(1-x) \\ \quad = v - p_2 - t(1-x) \end{cases}$$

The location of a new customer who is indifferent between the two hardware devices is

$$\frac{2w(1) - w(2) + t - p_1 + p_2}{2t}.$$

The stage two

From this, we can derive the demands for hardware devices as follows:

$$D_1 = \frac{(W + t - p_1 + p_2)(1 - \alpha)}{2t},$$
$$D_2 = \frac{(-W + t - p_1 + p_2)(1 - \alpha)}{2t},$$

where, $W \equiv 2w(1) - w(2)$.

The profit functions of the platforms are

$$\begin{cases} \pi_1 = p_1 \cdot D_1 + r\rho_{11}(D_1 + \alpha\beta) \\ \pi_2 = p_2 D_2 + r\rho_{22}(D_2 + \alpha(1 - \beta)) \\ \quad + r\rho_{21}(D_1 + \alpha\beta) \end{cases}$$

The stage two

- ▶ From the first-order conditions for profit maximization, we have the equilibrium prices, demands, profits, consumer surplus, and social surplus.
- ▶ Similarly, we can have the equilibrium under other three market structures as shown in following table.

	(IC, IC)	(C, C)	(IC, C)
π_1	$\frac{t}{2}(1 - \alpha) + \alpha\beta r w(1)$	$\frac{t}{2}(1 - \alpha) + r\Delta w$	$\frac{3t + (1-r)W + r\Delta w}{18t} (1 - \alpha) + \alpha\beta r \Delta w$
π_2	$\frac{t}{2}(1 - \alpha) + \alpha(1 - \beta)r w(1)$	$\frac{t}{2}(1 - \alpha) + r\Delta w$	$\frac{9t^2 + \{(1-r)W + r\Delta w\}^2}{18t} (1 - \alpha) + \frac{\alpha r w(1) + r w(2) - (1 - \alpha - \alpha r + 3\alpha\beta r)W}{3}$

The stage one

- ▶ Compare the equilibrium profits shown in Table.

Lemma

It follows that

$$\beta > \beta_1(\alpha) \iff \pi_1(\text{IC}, \text{IC}) > \pi_1(\text{C}, \text{IC}),$$

$$\beta > \beta_2(\alpha) \iff \pi_2(\text{IC}, \text{C}) > \pi_2(\text{IC}, \text{IC}),$$

$$\beta > \beta_3(\alpha) \iff \pi_1(\text{IC}, \text{C}) > \pi_1(\text{C}, \text{C}),$$

$$\beta > \beta_4(\alpha) \iff \pi_2(\text{C}, \text{C}) > \pi_2(\text{C}, \text{IC}),$$

The stage one

where

$$\beta_1(\alpha) = \frac{6t(b + r\rho) - (b + r\rho)^2}{18tr\rho} - \frac{6t(b - 2r\rho) - (b + r\rho)^2}{18tr\rho \cdot \alpha},$$

$$\beta_2(\alpha) = -\frac{6t(b - 2r\rho) - (b + r\rho)^2}{18tr\rho} + \frac{6t(b - 2r\rho) - (b + r\rho)^2}{18tr\rho \cdot \alpha},$$

$$\beta_3(\alpha) = \frac{6t(b + r\rho) + (b + r\rho)^2}{18tr\rho} - \frac{6t(b - 2r\rho) + (b + r\rho)^2}{18tr\rho \cdot \alpha},$$

$$\beta_4(\alpha) = -\frac{6t(b - 2r\rho) + (b + r\rho)^2}{18tr\rho} + \frac{6t(b - 2r\rho) + (b + r\rho)^2}{18tr\rho \cdot \alpha},$$

$$\beta_1 + \beta_2 = 1, \text{ and } \beta_3 + \beta_4 = 1.$$

The stage one

Summarize the lemma in payoff matrix.

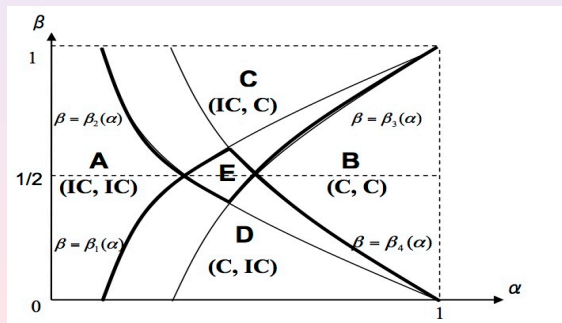
		Platform 2	
		IC	C
Platform 1	IC	$(\pi_1(\text{IC,IC}), \pi_2(\text{IC,IC}))$	$(\pi_1(\text{IC,C}), \pi_2(\text{IC,C}))$
	C	$(\pi_1(\text{C,IC}), \pi_2(\text{C,IC}))$	$(\pi_1(\text{C,C}), \pi_2(\text{C,C}))$

Annotations in the matrix:
 - A blue arrow points from the IC cell to the IC,C cell, labeled "if $\beta > \beta_2$ ".
 - A blue arrow points from the C,IC cell to the IC,C cell, labeled "if $\beta > \beta_3$ ".
 - A blue arrow points from the C,IC cell to the C,C cell, labeled "if $\beta > \beta_4$ ".
 - A blue arrow points from the C,IC cell to the IC,IC cell, labeled "if $\beta > \beta_1$ ".

The stage one

Proposition 5a We suppose that

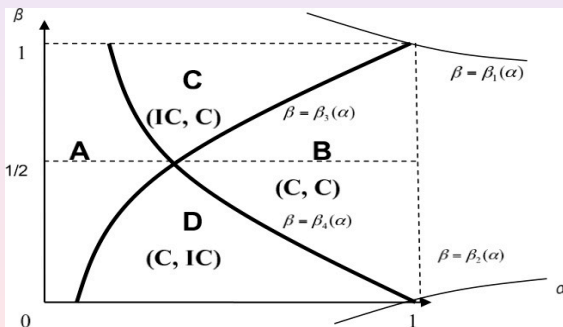
$$0 < r < \frac{2w(1)-w(2)}{w(2)} \text{ and } t > \frac{((1-r)W+r\Delta w)^2}{6(W-rw(2))}.$$



The stage one

Proposition 6a We suppose that

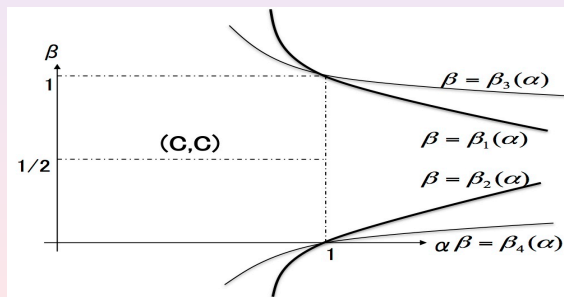
$$0 < r < \frac{2w(1)-w(2)}{w(2)} \text{ and } \frac{(1-r)W+r\Delta w}{6} < t < \frac{\{(1-r)W+r\Delta w\}^2}{6\{W-rw(2)\}}.$$



The stage one

Proposition 7a We suppose that

$$\frac{2w(1)-w(2)}{w(2)} < r < 1 \text{ and } t > \max\left(\frac{\{(1-r)W+r\Delta w\}^2}{6\{rw(2)-W\}}, \frac{\{(1-r)W+r\Delta w\}}{6}\right).$$



Conclusion

- ▶ The purpose of this paper was to understand how **the product life cycle** affects **the compatibility strategy** of platforms in two-sided markets.
- ▶ The sort of example we have in mind is the market for electronic books.
 - ▶ For the small platform (Amazon), the profitable choice is to make its content **compatible** and gain royalties from expanding the sale of content.
 - ▶ For the large platform (Apple), the profitable choice is to make its content **incompatible** and maintain its share of the hardware market.

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