#### Patent Pools and Upstream R&D Investment

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#### Introduction

#### Problem:

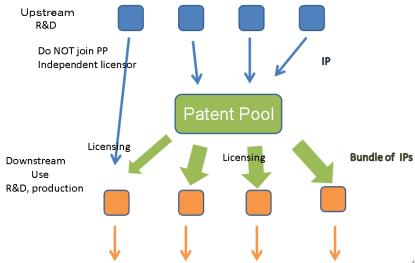
- Downstream innovation or product development may require licensing multiple upstream technologies with multiple owners ⇒ high transaction costs and 'tragedy of the anticommons'.
- Example: Standard implementing patents, Genetic diagnostic tests
- Possible solutions:
  - Cross-licensing
  - Compulsory licensing
  - Research exemptions
  - > Patent pools, copyright collectives, clearinghouses
  - Open source

#### What is a Patent Pool?

- Examples of Patent Pools: MPEG LA, DVD, 3G, SARS Working Group
- Functions
  - Centralized licensing of multiple IP rights
    - Economies of scale in negotiations and royalty collection.
    - Overcome 'tragedy of anticommons' (complementary IP) problem by collective licensing.
  - Promotes downstream use (production, cumulative innovation) of complementary IP
  - Feeds back into upstream incentives to innovate.

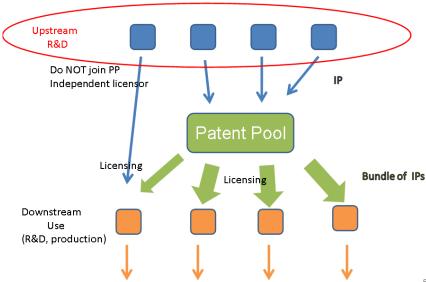
#### Upstream vs Downstream

#### Upstream and Downstream Innovation



#### Upstream vs Downstream

#### Upstream and Downstream Innovation



#### Focus of This Paper

- Examine effects of PP upstream incentives to innovate
- PP of complementary intellectual property
  - Standard implementing patent pools
  - DNA microarrays
- Specifically, we examine how PPs effect
  - Ex-post (after upstream innovation) licensing
  - Ex-ante incentives to invest in upstream research.
- Compare different PP licensing revenue (royalty) distribution rules.
- Incorporate the effect of simple antitrust rules.

#### Analysis - Factors to Consider

- Licensing by the PP must be optimal ex-post (after upstream innovation) given the ex-post outcome of innovation (market structure)
  - Maximize joint profit
  - Induce IP owners to rationally join
- R&D incentive determined by ex-ante expected profit
- Ex-ante expected profit depends on ex-post profit and R&D technology (probability distribution over outcomes)
  - Ex-post optimal royalty distribution rule may not provide right incentives ex-ante
  - Expected profit depends on number of firms investing (ex-ante market structure)
  - Firms differ: Some firms are competitors (substitute technologies) and some are partners (complementary technologies)

#### Main Conclusions

- In general, PPs stimulate upstream R&D investment
  - But PPs may hurt the incentive of an inventor with unique ability (ex-ante monopoly, firms ex-ante asymmetric)
    - PP dilutes rent
  - And incentives to invest may be socially excessive
- PP that distributes licensing revenue unequally among its members is less likely to lead to welfare loss
  - Unequal distribution helps form PP
  - Even if inventors are symmetric ex-ante, ex-post asymmetries may emerge
- ► Firm's profit ranking over different PP rules differs ex-ante or ex-post and by firm (monopolist or not) ⇒ likely to lead to disagreement over PP rules and formation
- Implication: Determination of PP rules (revenue distribution, antitrust) should take into account R&D technology

### Related Literature (1)

- Collective licensing
  - Shapiro (2001) discusses various types of PPs to mitigate anticommons problems
  - van Zimmeren et al 2006, Aoki & Schiff 2008, Heller, & Eisenberg 1998 (anticommons), Merges 1996 (PP)
- Patent pools
  - Lerner & Tirole (2004) examine ex post efficiency
  - Lerner et al (2007) empirical examination of licensing rules
  - Layne-Farrar & Lerner (2008) and Aoki & Nagaoka (2005) examine royalty distribution rules and incentives of patent owners to join pools (SSOs)
- Hoppe and Ozdenoren (2005) examine PPs as intermediaries to reduce informational problems in licensing markets
- These papers take technologies (IP) in PPs as given

### Related Literature (2)

- We focus on innovation of technologies in the PP
- Related to work on innovation of complementary technologies
- Gilbert & Katz (2007) examine division of profits among innovators racing to develop complementary components
- Meniere (2008) examines effect of the novelty requirement on innovation of complementary technologies
- We consider division of profits via collective licensing

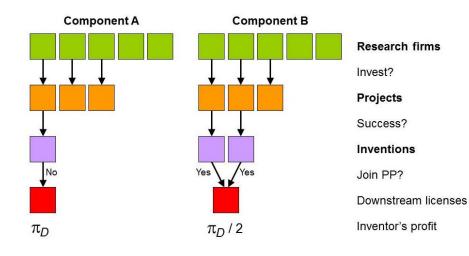
#### Framework

- New downstream product needs two complementary upstream innovations: A and B.
- Large number of competitive upstream research firms:
  - Each has capacity for one research 'project' at cost c
  - Specialized in development of A or B
  - Revenues only from licensing
- Each firm either independently succeeds or fails (probabilistic).
- All successful projects (= patent) of a single component result in perfect substitutes.
- Patent Pool
  - Licenses on behalf of successful inventors who choose to join.
  - Objective is to maximize joint royalty revenues of its members.

### Timing

- Innovation and licensing takes place in four stages:
- I. The antitrust rule is set and announced: Is the PP allowed to jointly license substitute innovations or not?
- II. The PP sets and announces a royalty redistribution rule consistent with the anti-trust rule.
- III. Each research firm decides to invest or not to invest in an R&D project and those that invest invent a component with given probability.
- IV. Successful inventors simultaneously decideto join or not to join the PP or license independently, and then innovations are licensed by the PP and/or any independent inventors and royalties are paid by licensees.

# Model Summary (for given antitrust and PP distribution rules)



#### Assumptions

Tragedy of Anticommons:

$$\pi_M \geq 2\pi_D$$
 and  $W_0 \geq W_M \geq W_D$ .

- $\pi_M$  and  $W_M$ : Monopoly licensing profit and welfare.
- $\pi_D$  and  $W_D$ : Duopoly licensing profit and welfare.
- W<sub>0</sub>: Welfare when both components are licensed at zero price
- P(k, N): Probability that k substitute versions of a component are invented when N projects are undertaken for that component (probability of k success from N trials):

$$\sum_{k=0}^{N} P(k, N) = 1 \text{ and } \lim_{N \to \infty} P(k, N) = 0.$$

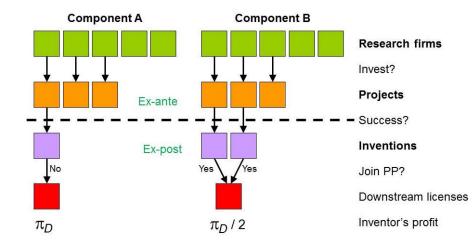
Probability that k firms succeed when N firms invest

#### Licensing Revenue and Antitrust Rules

- ( $\pi$  = total PP licensing revenues)
- Joint licensing of substitutes is not allowed:
  - Strict Antitrust Rule: PP randomly chooses at most one member of each component to license; royalties are shared equally between the chosen.
- Joint licensing of substitutes by the PP is allowed:
  - Equal: With *n* members, each receives  $\pi/n$ .
  - ▶ Unequal: If one component has a single inventor and the other component has  $n \ge 2$  substitute inventors, the single inventor receives  $z\pi$  and the others receive  $(1 z)\pi/n$  with  $z \in [0, 1]$ . Otherwise, equal shares.

Compare to No PP

#### Ex-ante and Ex-post



### Ex-post Outcomes and PP Membership

Possible ex-post outcomes: n<sub>A</sub> and n<sub>B</sub> (number of successful inventors of A and B) :

Cases \ Successful firms	n <sub>A</sub>	n <sub>B</sub>	
Case MM	1	1	
Case MC:	1 ( 2 or more)	2 or more (1)	
Case CC:	2 or more	2 or more	

- Who will join the PP ex-post?
  - Competitive component inventors (cases MC & CC) join any kind of PP.
    - Competition among perfect substitutes drives royalties down to zero ⇒ joining is a weakly dominant strategy for them.
  - Case MM: Both inventors join any kind of PP.
    - Avoid tragedy of anticommons.
  - Case MC: Monopoly inventor joins a strict PP. (Assumption) Monopoly inventor does not join an equal PP but does join an unequal PP (z).

#### **Ex-post Profits**

Ex-post equilibrium payoffs of successful inventors (Gains, Losses relative to no PP):

PP Type \ Profit	$\pi_{MM}$	$\pi_{MC}^{M}$	$\pi_{MC}^{C}(n)$	$\pi_{CC}(n_A, n_B)$
None	$\pi_D$	$\pi_M$	0	0
Equal	$\pi_M/2$	$\pi_D$	$\pi_D/n$	$\pi_{M}/\left(n_{A}+n_{B} ight)$
Unequal	π <sub>M</sub> /2	Zπ <sub>M</sub>	$(1-z)\pi_M/n$	$\pi_{M}/\left(n_{A}+n_{B} ight)$
Strict	π <sub>M</sub> /2	π <sub>M</sub> /2	$\frac{1}{n}\pi_M/2$	$\frac{1}{n_i}\pi_M/2; i = A, B$

#### **Ex-post Welfare**

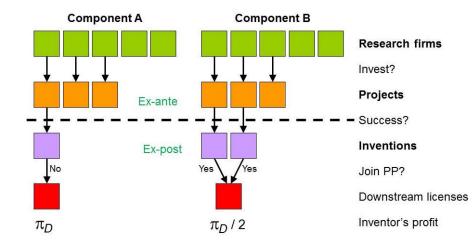
#### Ex-post equilibrium welfare:

(Gains, Losses)

PP Type \ Welfare	W <sub>MM</sub>	W <sub>MC</sub>	W <sub>cc</sub>
None	$W_D$	$W_M$	$W_0$
Equal	W <sub>M</sub>	W <sub>D</sub>	W <sub>M</sub>
Unequal	W <sub>M</sub>	W <sub>M</sub>	W <sub>M</sub>
Strict	W <sub>M</sub>	$W_M$	W <sub>M</sub>

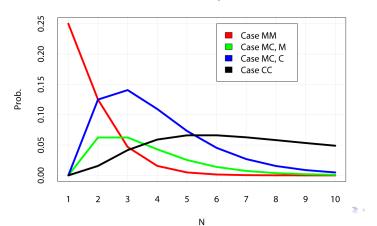
 Ex-ante only probability of outcomes (MM, MC, or CC) known

#### From Ex-post to Ex-ante



#### **R&D** Technology

- Probability that a given research firm becomes a successful inventor depends on the number of firms that invest.
- ► There are *N* firms engaged in R&D for each component



Binomial, success prob. = 0.5

#### **Upstream Innovation**

- Ex-ante expected profit depends on ex-post profit and distribution of outcomes
- We consider two different upstream market structures.
- Symmetric Market: There are  $N \ge 2$  firms that can invest in A and  $N \ge 2$  firms that can invest in B.
  - Potential ex-ante competition for both components.
  - Symmetric
- ► Asymmetric Market: There is only one firm that invests in A. N ≥ 2 firms can invest in B.
  - Ex-ante monopoly for innovation of component A. Competitive for component B.
  - Asymmetric

#### Symmetric Market Upstream Innovation

- Symmetric Market: N projects are undertaken for each component
- Ex-ante competitive, symmetric
- Ex-ante expected profit and welfare:

$$\pi (N) = \frac{1}{N} P(1, N)^{2} \pi_{MM} + \frac{1}{N} P(1, N) \sum_{k=2}^{N} P(k, N) \left[ \pi_{MC}^{M} + n \pi_{MC}^{C}(k) \right] + \sum_{m=2}^{N} \sum_{k=2}^{N} \frac{m}{N} P(m, N) P(k, N) \pi_{CC}(m, k) - c W(N) = P(1, N)^{2} W_{MM} + 2P(1, N) \sum_{k=2}^{N} P(k, N) W_{MC} + \sum_{m=2}^{N} \sum_{k=2}^{N} P(m, N) P(k, N) W_{CC} - 2Nc$$

## Symmetric Market Result: Ex-ante Expected Profit and Welfare (Given *N*)

- Ex-ante, the expected profit gains always outweigh any losses:
  - $\pi^{UC}(N) = \pi^{SC}(N) \ge \pi^{EC}(N) \ge \pi^{NC}(N)$  for all  $N \ge 1$ .
- PP increases incentive to invest in upstream R&D.
- Welfare
  - ▶ When *N* is large, case CC likely and *W*<sub>0</sub> achieved.
  - When N is small, case MM likely and PP beneficial.
- Expected welfare with **no PP** is highest when N is large but lowest when N is small:

(i)  $W^{UC}(N) = W^{SC}(N) \ge W^{EC}(N) \ge W^{NC}(N)$  for small N, (ii)  $W^{NC}(N) \ge W^{UC}(N) = W^{SC}(N) \ge W^{EC}(N)$  for large N.

Unequal or strict PP always outperforms equal: Unequal or strict are better able to get all successful inventors on board.

## Simulation with Binomial Upstream R&D Technology (Determination of *N*)

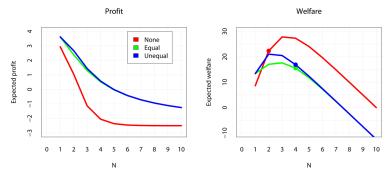
Linear demand for licenses: Q = 100 - ρ gives parameter values:

Parameter	$\pi_{M}$	$\pi_D$	$W_0$	$W_M$	$W_D$
Value	<u>100</u> 4	<u>100</u> 9	50	<u>75</u> 2	<u>250</u> 9

- Assume P(k, N) is binomial; σ is success prob. of each project.
- Other parameters: z, c (market 1),  $c_A$  and  $c_B$  (market 2).
- Given parameter values, use numerical search to find equilibrium value of N under each PP type.
  - Equilibrium condition: Highest *N* where  $\pi(N) \ge 0$  and  $\pi(N+1) < 0$ .

## Symmetric Market Ex-ante Profit & Welfare and Equilibrium Investment by Simulation

Simulation for c = 2.5 and σ = 0.7 (symmetry makes value of z irrelevant):



- PP stimulates investment but may reduce welfare.
  - Equilibrium investment may increase too much once R&D costs are taken into account.

#### Asymmetric Market of Upstream Innovation

- Asymmetric Market: Firm A has the unique ability to develop component A ; Development of component B is as before
- Asymmetric firms, Firm A is a monopolist
- Case CC is no longer possible.
- Firm profits when N projects undertaken for component B:

$$\pi_{A}(N) = P(1, N) \pi_{MM} + \sum_{k=2}^{N} P(k, N) \pi_{MC}^{M} - c_{A}$$
$$\pi_{B}(N) = \frac{1}{N} P(1, N) \pi_{MM} + \sum_{k=2}^{N} \frac{n}{N} P(k, N) \pi_{MC}^{C}(n) - c_{B}$$

## Asymmetric Market Results: Ex-ante Expected Profits and Welfare (Given *N*)

Firm A prefers

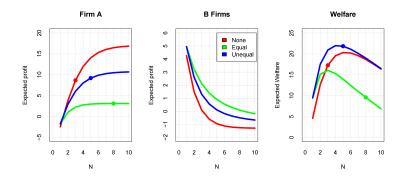
- ▶ No PP when *N* is large
- Unequal PP when N is small.
- ► Component B firm , for any given N,
  - Always better off under either an equal or unequal PP compared to no PP.
  - ► Such a firm is better off under an unequal PP compared to an equal PP if  $z \le 1 \pi_D / \pi_M$ .
- Welfare: Unequal or strict PP best for all N. Equal PP performs better than no PP for sufficiently low N.

#### Asymmetric Market Upstream R&D Incentives

- PP's effect depends on firm (ex-ante market structure)
  - Increase the incentives of competitive research firms to invest, but
  - May reduce the incentive of monopolist (unique ability).
- PP's effect differ by firm and by ex-ante and ex-post.
  - Ex-post, firm A prefers a high value of z under an unequal PP, but this reduces the payoff of component B firms.
  - Ex-ante, firm A may want to choose a lower value of z to give incentive to B firms to invest.
  - Or, ex-ante, firm A may prefer not to have a strict anti-trust rule even though this facilitates collusion among B firms, to give them an incentive to invest.

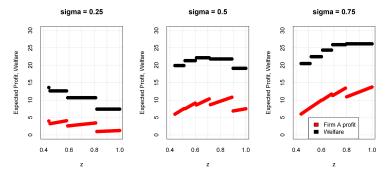
### Asymmetric Market: Ex-ante Profit & Welfare and Equilibrium Investment

Single simulation of market 2, for c<sub>A</sub> = 8, c<sub>B</sub> = 1.3, σ = 0.5 and z = 0.75:



# Interaction between Technology and Distribution Rule by Simulation

Effect of changing z in an unequal PP on equilibrium expected profits of firm A and expected welfare:



- Level of z affects equilibrium investment level of component B firms.
- PP licensing revenue distribution policies need to be related to the innovation environment.

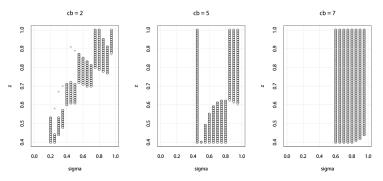
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#### Conclusion

- PP can generate both ex-post and ex-ante gains and losses to welfare and profits of research firms.
- PP generally stimulate investment in upstream R&D except possibly by inventors who have unique abilities.
- Unequal PP redistribution is less likely to lead to welfare losses but not always.
- Likely conflict between existing and potential inventors regarding PP support.
- PP design and royalty distribution rule needs to reflect conditions of the innovation environment.

### Optimal z for Asymmetric Market by Simulation

- ► Find welfare maximizing *z* (circles)
- Grey dots indicate A's profit maximized  $c_A = 5$



- z increases when σ increases (prevent over investment)
- z decreases when c<sub>B</sub> increases (give B incentive)
- ► If c<sub>B</sub> is very high, then N = 1 and unequal distribution never used. All values optimal.
- σ very high, then many firms invest in B. Low z necessary
   to give incentive.